

In the reactor the conditions of operations are going to be considered as the following:

$$T = 298.15 \text{ K}$$

$$P = 1 \text{ atm}$$

Joback Method

Boiling temperature estimation

$$T_b = 198 + \sum_k N_k (tbk)$$

In which N_k is the number of times the contribution appears in the compound, and tbk is taken from Table 1.

$$T_b = 575.54 \text{ K}$$

Critic temperature estimation

$$T_c = T_b \left[0.584 + 0.965 \left\{ \sum_k N_k (tck) \right\} - \left\{ \sum_k N_k (tck) \right\}^2 \right]^{-1}$$

In which N_k is the number of times the contribution appears in the compound, and tck is taken from Table 1.

$$T_c = 785.90 \text{ K}$$

Additional physical consideration

Assuming the virus boiling temperature as the denaturation temperature of the virus (45°C), we obtain a correction factor. Such consideration results in:

$$T_b = 318.15 \text{ K}$$

$$T_c = 434.43 \text{ K}$$

Sastri Method

Now, we proceed to estimate the thermal conductivity, using the Sastri method.

$$\lambda_L = \lambda_b a^m$$

$$\lambda_b = \sum_k N_k (\Delta \lambda_b)$$

For alcohols and phenols, $a=0.856$ and $n=1.23$. For other compounds, $a=0.16$ and $n=0.2$. The thermal conductivity at the normal boiling point, b , is determined with the group contribution values and corrections in Table 2.

$$\lambda_b = 1943.83 \frac{A \text{ cm}^2}{V g_{\text{-equiv}}}$$

$$T_{br} = \frac{T_b}{T_c} = 0.73$$

$$T_r = \frac{T}{T_c} = 0.64$$

$$m = 1 - \left(\frac{1 - T_r}{1 - T_{br}} \right)^n = -0.06$$

$$\lambda_{-}^{\circ} = 2182.68 \frac{A \text{ cm}^2}{V g_{\text{-equiv}}}$$

Diffusivity

Diffusion coefficient of ionic Ag^+ is described by the Nernst equation.

$$D_{AB}^{\circ} = \frac{RT}{F^2} \frac{\lambda_+^{\circ} \lambda_-^{\circ}}{\lambda_+^{\circ} + \lambda_-^{\circ}} \frac{|Z_-| + |Z_+|}{|Z_+ Z_-|}$$

Faraday Constant

$$F = 96488 \text{ C/gequiv}$$

$$R/F^2 = 8.93\text{E-}14$$

Thermal conductivity

$$\lambda_+^{\circ} = 61.90 \text{ Acm}^2/\text{Vg}_{\text{equiv}}$$

$$\lambda_-^{\circ} = 2182.68 \text{ Acm}^2/\text{Vg}_{\text{equiv}}$$

Valencies

$$Z_+ = 1.00$$

$$Z_- = 1080.00$$

$$D_{AB} = 1.60\text{E-}09 \text{ m}^2/\text{s}$$

Inlet flow

$$F_A = 4\pi r_1^2 N_{Ar}|_{r=r_1} = \frac{4\pi c D_{AB}}{1/r_1 - 1/r_2} \ln \frac{x_{B2}}{x_{B1}}$$

$$\begin{aligned} r_1 &= 9.00\text{E-}09 \quad \text{M} \\ r_2 &= 1.00\text{E-}08 \quad \text{M} \\ x_{B1} &= 1.80\text{E-}09 \\ x_{B2} &= 1.00 \\ c &= 5.54\text{E-}08 \quad \text{mol/m}^3 \\ \\ c_{Ag^+} &= 1.00\text{E-}16 \quad \text{mol/m}^3 \\ c_{H_2O} &= 5.54\text{E-}08 \quad \text{mol/m}^3 \end{aligned}$$

$$F_A = 2.02\text{E-}21 \quad \text{mol/s}$$

Concentration within time

Design equations

$$C_i = C_i^\circ + \frac{dC_i}{dt} \Delta t$$

and equations showed in the section: Reactor.

Initial conditions at reactor (C_i°)

$$C_{E_0} = 5.44 \times 10^{-4} \text{ mol / L}$$

$$C_{S_0} = C_{ES_0} = C_{P_0} = 0$$

Inlet conditions

$$F_A = 2.02 \times 10^{-21} \text{ mol / s}$$

$$C_s = 1 \times 10^{-4} \text{ mol / L}$$

Results

Solving our differential equations by Euler's method we obtained:

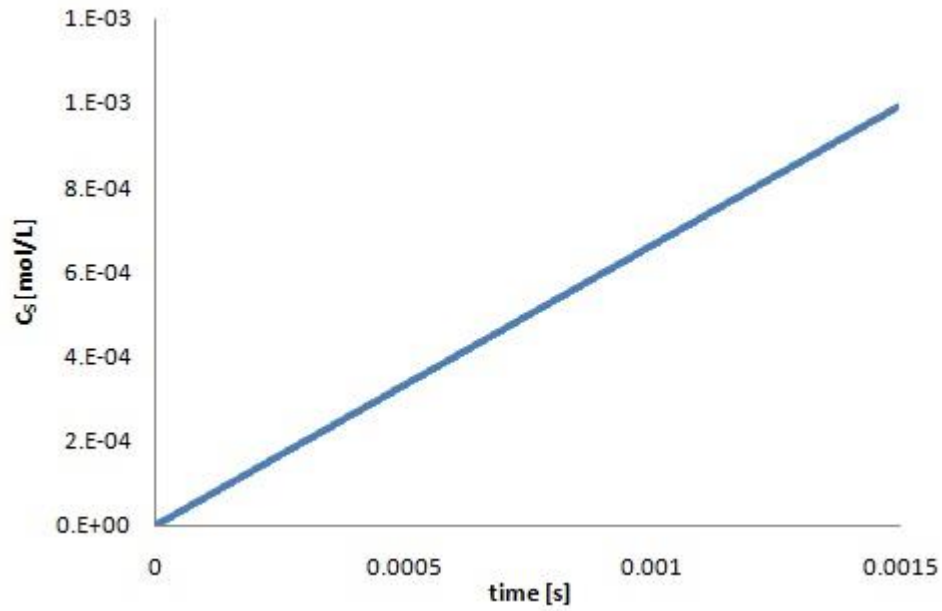


Figure 1.- Substrate concentration within time

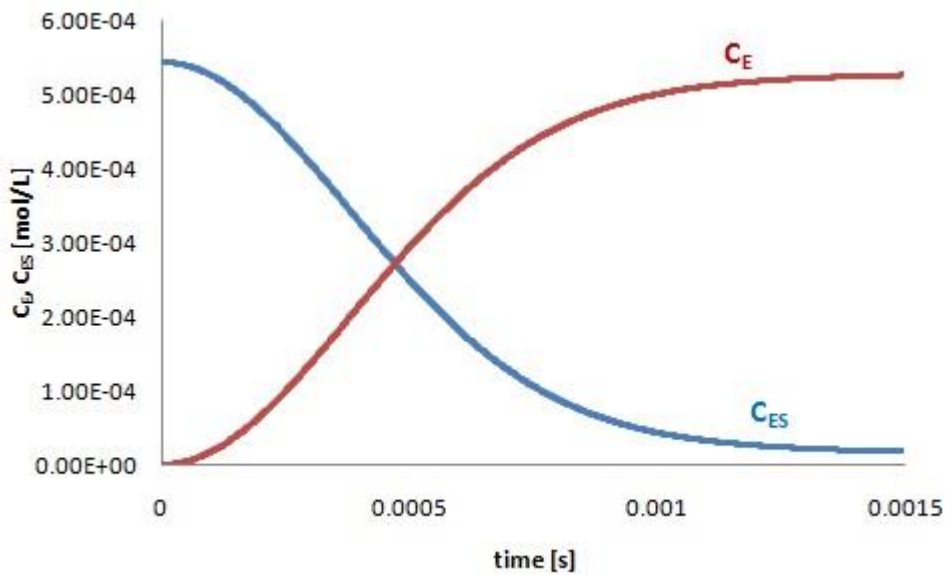


Figure 2.- Enzyme and Enzyme-Substrate concentrations within time

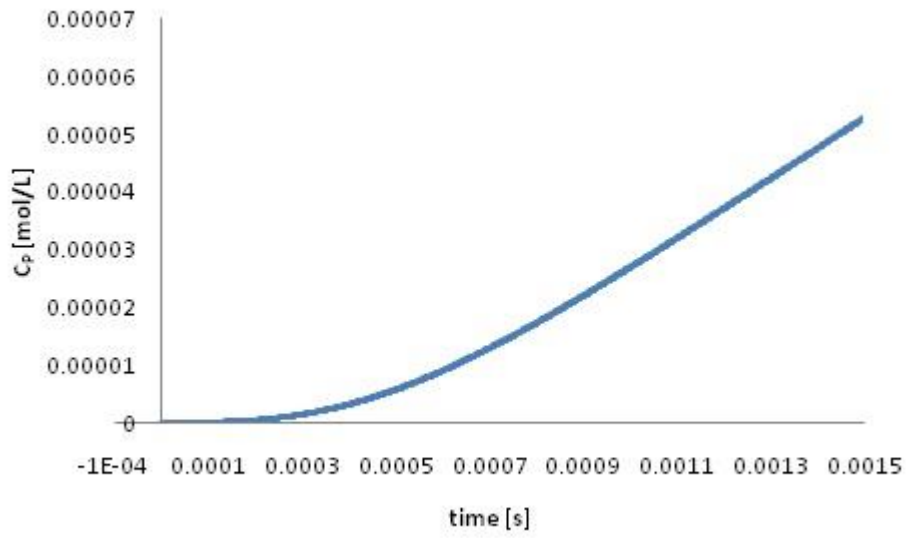


Figure 3.- Product concentration within time

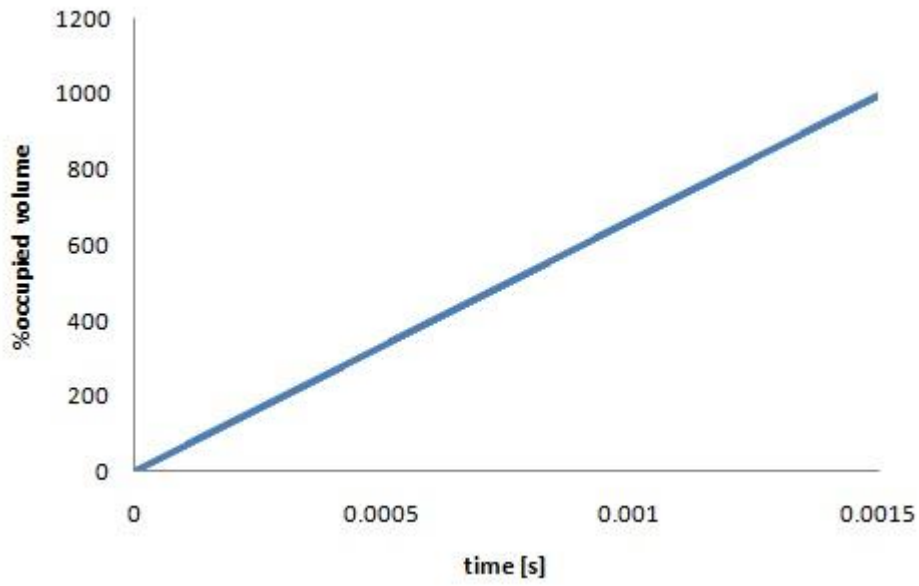


Figure 4.- Percentage of occupied volume in reactor within time

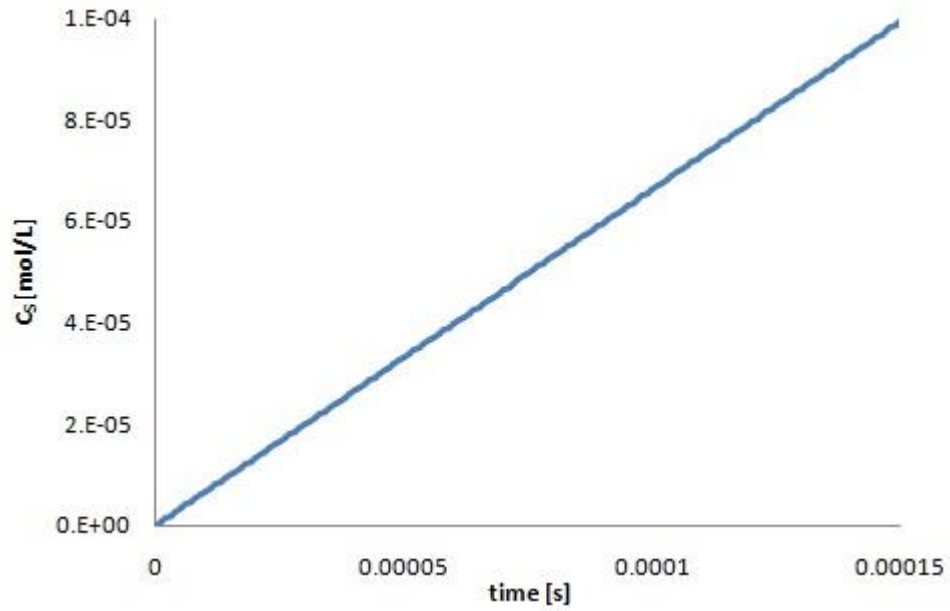


Figure 5.- Substrate concentration within time at 100%volume capacity

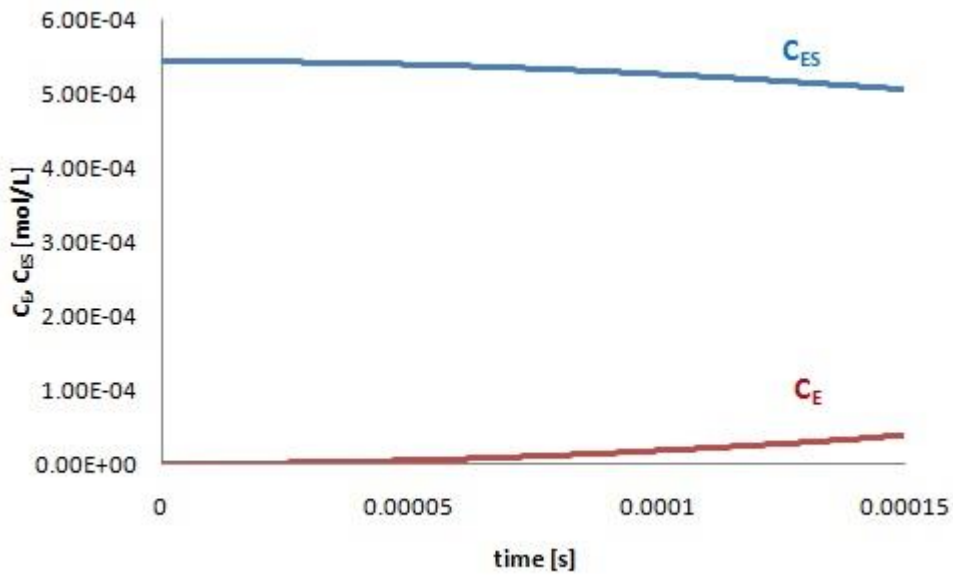


Figure 6.- Enzyme and Enzyme-Substrate concentrations within time at 100%volume capacity

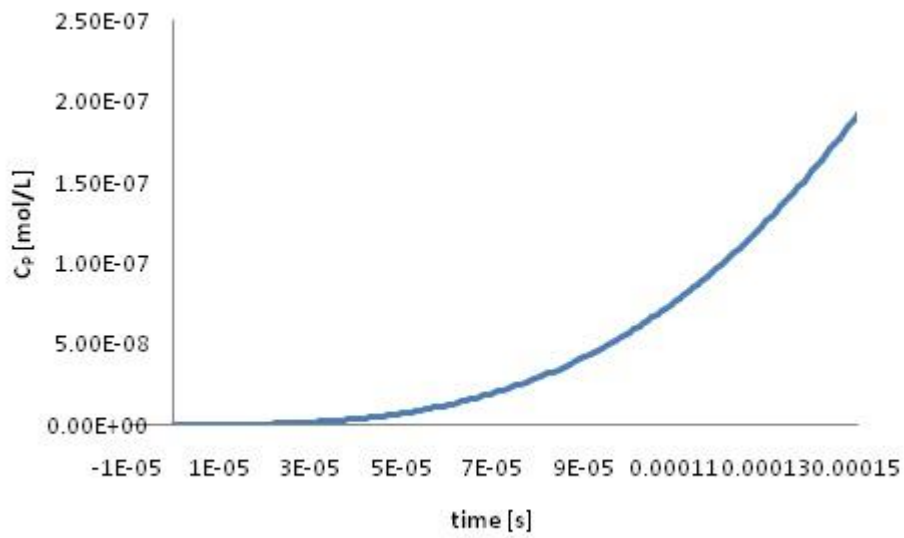


Figure 7.- Product concentration within time at 100%volume capacity

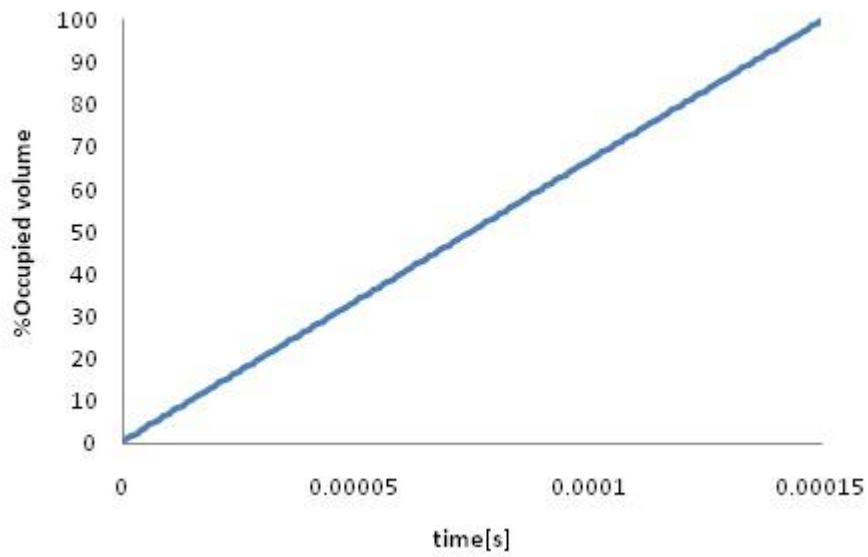


Figure 8.- Percentage of occupied volume in reactor within time at 100%volume capacity